

SMOOTHNESS OF MASS SURFACE OF ODD ACTINIDE NUCLEI AND PAIRING ENERGIES

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As it was shown in [1,2], the mass surface M of odd deformed atomic nuclei with $150 < A < 190$ in the vicinity of a given number of protons can be described with good accuracy by the sum of two terms:

μ -a Taylor series expansion up to the second order by degrees of deviation of the number of nucleons from the given values:

P_N (P_Z) – neutron (proton) pairing energy, depending on the state of odd nucleon.

For example, for odd neutron number (N'') nuclei:

$$M(N'',Z) = \mu(N'',Z) + P_N(N'',Z),$$

hereafter the apostrophe denotes an odd number (N neutrons, Z protons).

A smooth part of the mass surface $\mu(N'',Z)$ can be defined from masses $M(N''+s'',Z+t)$ of a few adjacent even-even nuclei using the second-order decomposition:

$$\mu(N'',Z) = M(N''+s'',Z+t) - s'' d_{1n} - t d_{1p} - \frac{1}{2} s''^2 d_{2n} - \frac{1}{2} t^2 d_{2p} - \text{std}_{(1n,1p)}.$$

There is some uncertainty in the values of $\mu(N'',Z)$, d_{1n} , d_{1p} , d_{2n} , d_{2p} , $\text{std}_{(1n,1p)}$ due to the different sets of reference even-even nuclei.

The first set (s -approximation) includes masses of even-even nuclei with the same Z and neutron numbers $N''\pm 1, N''\pm 3$. In this case $t=0$ and

$$d_{1n} = [M(N''+1,Z) - M(N''-1,Z)]_2;$$

$$d_{2n} = [M(N''+3,Z) + M(N''-3,Z) - M(N''+1,Z) - M(N''-1,Z)]_2.$$

$$\text{Then } \mu(N'',Z) = M(N''+1,Z) - d_{1n} - d_{2n}.$$

The second set (st -approximation) uses reference even-even nuclei with charges $Z\pm 2, Z\pm 4$ and neutron numbers $N''\pm 1, N''\pm 3$ so that the mass number of these nuclei differs from the mass number of odd nucleus under consideration by 1 or 3, i. e. $(N''\pm 1, Z\mp 2)$, $(N''\pm 1, Z\pm 2)$, $(N''\pm 1, Z\mp 4)$, $(N''\pm 3, Z\mp 2)$. This approximation leads to another formulae for d_{1n} and d_{2n} .

The calculations of these parameters for U and Th odd actinide nuclei have been conducted. The results show that values of d_{1n} and d_{2n} slightly differ for different sets of reference even-even nuclei, however the values of neutron pairing energies for both approximations are within the empirical error limits.

1. D.G. Madland and J.R. Nix, Nucl. Phys. A 476, 1 (1988).
2. A.K. Vlasnikov, A.I. Zippa and V.M. Mikhajlov, Bull. Russ. Acad. Sci.: Phys. 80, 905 (2016); 81, 1185 (2017); 84, 919 (2020); 84, 1191 (2020); 84, 1309 (2020).
3. <https://www-nds.iaea.org/amdc/>

The speaker is a student or young scientist

No

Section

1. Nuclear structure: theory and experiment

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