

# CROSSING ROTATIONAL BANDS IN SUPERHEAVY EVEN-EVEN NUCLEI

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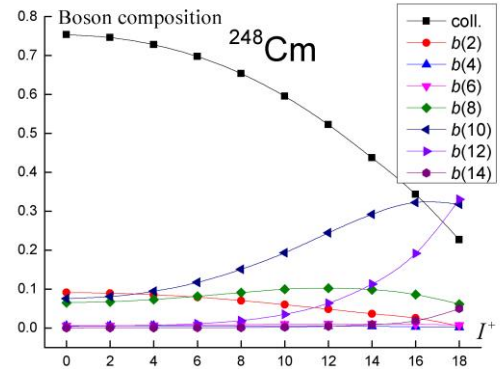
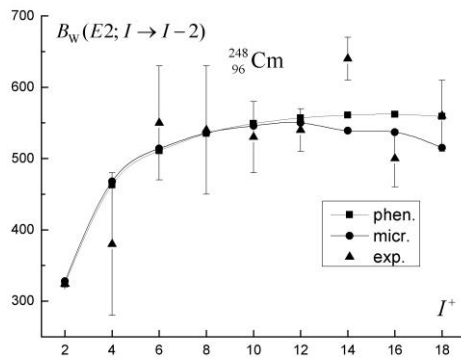
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For  $Z > 92$  even-even nuclei, with the exception of the  $^{244}\text{Pu}$  only, in yrast bands there is no manifestation of the reverse bending of the moment of inertia from the square of rotation frequency (back-bending). This leads to the possibility of reproducing the level energies of yrast bands up to spins values  $I^\pi = 32^+$  in the framework of the IBM1 phenomenology [1]. In present report the structure of the yrast band states was calculated within the framework of the microscopic version of IBM1 [2,3], where bosons with large spins up to  $J^\pi = 14^+$  were used. The calculation was carried out for  $^{248}\text{Cm}$ , since only for it the values of  $B(E2)$  were measured up to high spins. The mapping of phonons to bosons is carried out by the traditional way. The wave functions in the boson representation have the form  $\Psi(I) = |\psi_c(I)\rangle + \sum \alpha_{i,l,c,l} |(b_{i,l}^+ \psi_{c,l})^{(I)}\rangle$ , where  $|\psi_c\rangle$  are wave functions containing a superposition of  $d$ -bosons only. Moreover, the collectivization is so strong that the number of quadrupole bosons  $\langle n_d \rangle = 19$  in  $|\psi_c\rangle$  for the ground state. The Hamiltonian is taken in the form  $H = H_{\text{IBM}} + \sum \omega_i b_i^+ b_i + V^{(1)} + V^{(2)} + V^{(3)}$ , where  $H_{\text{IBM}}$  is the IBM1 Hamiltonian with parameters obtained from  $D$ -phonons and taking into account renormalizations due to  $B_i$ , non-collective phonons,  $\omega_i$  – energies of  $b_i$ -bosons.  $V^{(1)} \sim d^+ ds^+ b$ ,  $d^+ dds^+ s^+ b$ ,  $d^+ d^+ sb$ ,  $d^+ d^+ db$ ,  $V^{(2)} \sim d^+ d^+ d^+ bss$ ,  $V^{(3)} \sim b^+ bd^+ s$ ,  $b^+ bd^+ d^+ ss$ ,  $b^+ bd^+ d$ . The parameters that determine the boson operators are calculated based on the microscopic procedure. This leads to precise reproduction of energies up to spin  $14^+$  with an error not exceeding a few keV. As can be seen from the presented figure, the reproduction of the  $B(E2)$  values by using the IBM1 phenomenology [1] corresponds to the experiment. The composition of the wave functions is presented in the following figure and it shows a smooth replacement of the collective component, built only from  $d$ -bosons, by components that include high-spin pairs or  $b(J)$ -bosons with momentums  $J^{(\pi)} = 10^+$ ,  $12^+$ . Such smooth replacement explains the absence of the back-bending and the smooth dependence of  $B(E2)$  on spin.



1. A. D. Efimov, I. N. Izosimov, Phys. At. Nucl. 84, 660 (2021).

2. A. D. Efimov, V. M. Mikhajlov, Bull. Russ. Acad. Sci. Phys. 82, 1266 (2018).

3. A. D. Efimov, Rus. J. Nucl. Phys. 83, 380 (2020).